

Abstract:

In this talk we investigate the parametric inference for the linear fractional stable motion in high and low frequency setting. The symmetric linear fractional stable motion is a three-parameter family, which constitutes a natural non-Gaussian analogue of the scaled fractional Brownian motion. It is fully characterized by the scaling parameter  $\sigma > 0$ , the self-similarity parameter  $H \in (0, 1)$  and the stability index  $\alpha \in (0, 2)$  of the driving stable motion. The parametric estimation of the model is based upon the limit theory for stationary increments Lévy moving average processes that has been recently studied in Basse-O'Connor, Lachieze-Rey and M. Podolskij (2016). More specifically, we combine power variation statistics and empirical characteristic functions to obtain consistent estimates of  $(\sigma, \alpha, H)$ . We present the law of large numbers and fully feasible central limit theorems.

References:

A. Basse-O'Connor, R. Lachieze-Rey and M. Podolskij (2016): Limit theorems for stationary increments Lévy driven moving averages. To appear in *Annals of Probability*.